

Interactive Example Candidate Responses

Paper 3 (May/June 2016), Question 2

Cambridge International AS & A Level Physics 9702

In order to help us develop the highest quality resources, we are undertaking a continuous programme of review; not only to measure the success of our resources but also to highlight areas for improvement and to identify new development needs.

We invite you to complete our survey by visiting the website below. Your comments on the quality and relevance of our resources are very important to us.

www.surveymonkey.co.uk/r/GL6ZNJB

Would you like to become a Cambridge International consultant and help us develop support materials?

Please follow the link below to register your interest.

www.cambridgeinternational.org/cambridge-for/teachers/teacherconsultants/

Copyright © UCLES 2018

Cambridge Assessment International Education is part of the Cambridge Assessment Group. Cambridge Assessment is the brand name of the University of Cambridge Local Examinations Syndicate (UCLES), which itself is a department of the University of Cambridge.

UCLES retains the copyright on all its publications. Registered Centres are permitted to copy material from this booklet for their own internal use. However, we cannot give permission to Centres to photocopy any material that is acknowledged to a third party, even for internal use within a Centre.

You may not need to use all of the materials provided.

2 In this experiment, you will investigate the movement of a loaded wire.

(a) (i) Take the **shorter** of the two wires.

(ii) Measure and record the diameter d of the wire.

$$\begin{aligned} &0.31 + 0.29 + 0.29 \\ &\quad \quad \quad 3 \\ &= 0.297 \\ &= 0.30 \text{ mm} \end{aligned}$$

$$(0.30 \pm 0.01) \text{ mm}$$

$$d = \dots\dots\dots (0.30 \pm 0.01) \text{ mm} \quad [1]$$

(iii) Calculate the cross-sectional area A of the wire using

$$A = \frac{\pi d^2}{4}$$

$$\begin{aligned} A &= \frac{\pi (0.30)^2}{4} \\ &= 0.07067 \\ &= 0.071 \text{ mm}^2 \end{aligned}$$

$$A = \dots\dots\dots 0.071 \text{ mm}^2 \quad [1]$$

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

- (b) (i) Secure the hook of the mass hanger to one end of the wire leaving at least 20 cm of excess wire.
The wire may be wrapped around the hook several times.

- (ii) Set up the apparatus as shown in Fig. 2.1.

The length L of wire between the clip and the hook of the mass hanger should be approximately 15 cm.

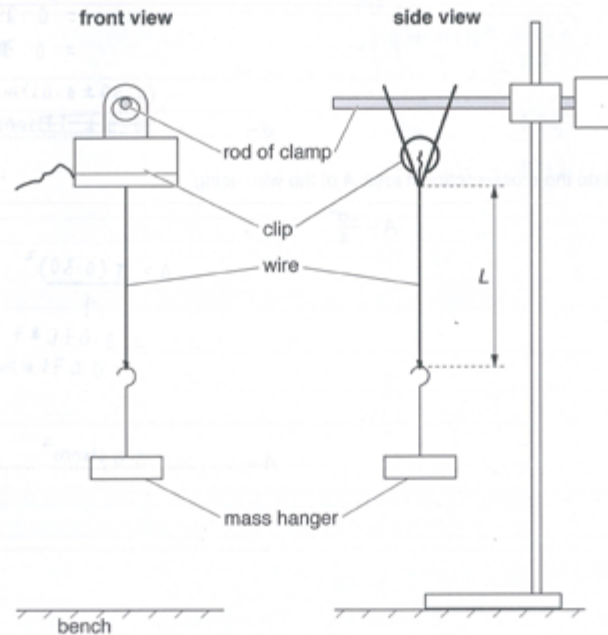


Fig. 2.1

- (iii) Measure and record L .

$$\frac{15.4 + 15.4}{2} = 15.4 \text{ cm}$$

$$L = (15.4 \pm 0.1) \text{ cm} \quad [1]$$

- (iv) Estimate the percentage uncertainty in your value of L .

$$\frac{0.1}{15.4} \times 100 = 0.65\%$$

percentage uncertainty = 0.65% [1]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(c) (i) Calculate C where

$$C = \frac{\sqrt{L}}{A}$$

$$C = \frac{\sqrt{L}}{A} = \frac{\sqrt{15.4}}{7.1 \times 10^{-6}} = 553,000$$

$$C = 553,000 \text{ cm}^{-1} \quad [1]$$

(ii) Justify the number of significant figures that you have given for your value of C .

A has two significant figures, so to increase the accuracy, 3 significant figures were used for C .

(d) (i) Twist the mass hanger through approximately 180° .

Release the mass hanger. The mass hanger will oscillate as shown in Fig. 2.2.



Fig. 2.2

(ii) Take measurements to determine the period T of the oscillations.

Record T .

$$\begin{array}{r} 22.0 + 22.7 \\ \hline 42 \\ \hline = 1.15 \end{array}$$

$$T = (1.15 \pm 0.1) \text{ s} \quad [1]$$

(iii) Remove the wire from the mass hanger.

Select
page

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(e) (i) Take the longer wire. Repeat (a)(ii) and (a)(iii).

$$\frac{0.11 + 0.10 + 0.10}{3} = 0.103 \quad d = (0.10 \pm 0.01) \text{ mm}$$

$$A = 0.0079 \text{ mm}^2$$

(ii) Secure the hook of the mass hanger to one end of the wire leaving 40 cm of excess wire.

Repeat (b)(ii), (b)(iii), (c)(i) and (d) for a value of L of approximately 30 cm.

$$\frac{29.9 + 29.9 + 29.9}{3} = 29.9$$

$$L = (30.0 \pm 0.1) \text{ cm}$$

$$C = \frac{6.920,000}{7.040,000} \text{ cm}^{-1}$$

$$\frac{26.2 + 26.2}{16} = 3.35$$

$$T = (3.3 \pm 0.1) \text{ s}$$

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(f) It is suggested that the relationship between T and C is

$$T = kC$$

where k is a constant.

(i) Using your data, calculate two values of k .

$$1.1 = k(553,000)$$

$$k = 1.99 \times 10^{-6}$$

$$3.3 = k(6,920,000)$$

$$k = 4.77 \times 10^{-7}$$

first value of $k = \dots\dots\dots 1.99 \times 10^{-6} \text{ s cm s}$

second value of $k = \dots\dots\dots 4.77 \times 10^{-7} \text{ s cm s}$ [1] ☐

(ii) Explain whether your results in (f)(i) support the suggested relationship.

$$\frac{|k_1 - k_2|}{k_1} \times 100\%$$

$$= 76.03\%$$

No, as the percentage uncertainty, 76.03%, is more than 30%.

[1] ☐

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(g) (i) Describe four sources of uncertainty or limitations of the procedure for this experiment.

1. Only two readings were taken to draw a conclusion which is insufficient.

2. The loop of wire around the mass hanger slips.

3. ~~Parallax error in measuring~~ Hard to measure length L as wire not straight.

4. Hard to ~~get~~ determine when is one oscillation of the mass hanger.

5. Wire is not straight, hard to measure L Parallax error in measuring L . [4]

(ii) Describe four improvements that could be made to this experiment. You may suggest the use of other apparatus or different procedures.

1. More readings should have been taken and a graph plotted to get a more accurate conclusion.

2. Use adhesive tape to stick the wire to the mass hanger.

3. Mark length L on the wire used and measure before attaching wire to clip.

4. ~~Take a~~ Straighten wires by using a mator and running the wire through the motor.

5. Video with a timer should be used camera

5. Mark length L on wire used and measure before attaching clip to clip. [4]

[Total: 20]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2 Mark scheme

(g)	(i) Limitations [4]	(ii) Improvements [4]	Do not credit
A	Two readings not enough to draw a conclusion	Take many readings and plot a graph/ obtain more k values and compare	"Repeat readings" on its own/few readings/only one reading/not enough readings for accurate value
B	Difficult to judge beginning and/or end of a cycle/a complete cycle	Draw a line/mark on the mass/ (fiducial) marker at equilibrium position	
C	Wire not straight/ kinked	Method of straightening wire e.g. use larger mass	
D	Difficult to measure L with reason e.g. metre rule awkward to position/parallax error	Improved method of measuring L e.g. marking L before putting into clip/ detailed method using set squares or ruler/ use a length guide (e.g. 15 cm wood)/ use string with detail/ use tape measure	Vernier calipers on its own/ set square on its own/ 30 cm ruler on its own
E	Wire slips (in clip)	Better method of gripping wire e.g. wrap wire around clamp/use two wooden blocks and wire	Any reference to attaching the mass to the wire
F	Mass swings as well as rotates/ clip moves around rod/there is a force on release	Better method of attaching clip to rod e.g. glue	
G	Shorter/thicker wire has too few cycles/dampens quickly/ (percentage) uncertainty greater for shorter/thicker wire	Video and timer/replay frame by frame	Repeats Longer wire
[TOTAL: 18]			

You may not need to use all of the materials provided.

2 In this experiment, you will investigate the movement of a loaded wire.

(a) (i) Take the shorter of the two wires.

(ii) Measure and record the diameter d of the wire.

$$0.01 \times 38$$

$$d = 0.38 \text{ mm} \quad [1]$$

(iii) Calculate the cross-sectional area A of the wire using

$$A = \frac{\pi d^2}{4}$$

$$A = \frac{\pi (0.00038)^2}{4} = 0.113$$

$$A = \frac{\pi (0.038)^2}{4} = 1.13 \times 10^{-7}$$

$$A = \frac{\pi (0.038)^2}{4} = 0.0298$$

$$= 0.113 \times 10^{-3}$$

$$A = 1.13 \times 10^{-3} \text{ cm}^2$$

Select
page

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

- (b) (i) Secure the hook of the mass hanger to one end of the wire leaving at least 20 cm of excess wire.
The wire may be wrapped around the hook several times.

- (ii) Set up the apparatus as shown in Fig. 2.1.

The length L of wire between the clip and the hook of the mass hanger should be approximately 15 cm.

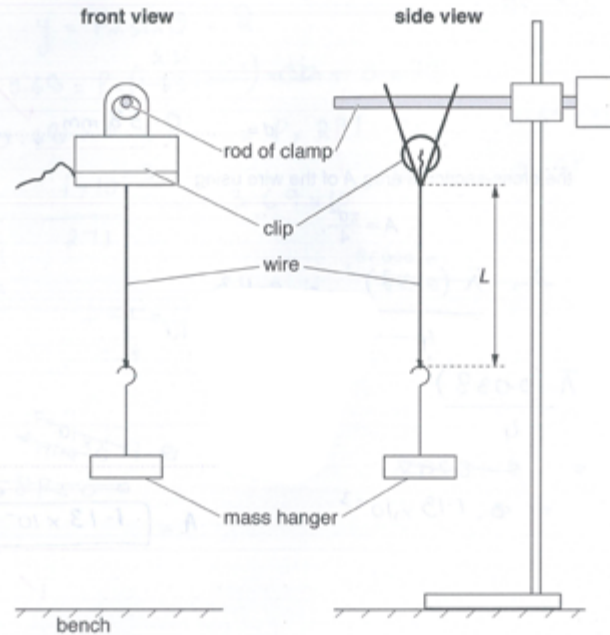


Fig. 2.1

- (iii) Measure and record L .

15.40 cm.

$L = \dots\dots\dots$ 15.40 cm [1]

- (iv) Estimate the percentage uncertainty in your value of L .

$\frac{0.2}{15.40} \times 100 = 1.3\%$

percentage uncertainty = 1% [1]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(c) (i) Calculate C where

$$C = \frac{\sqrt{L}}{A}$$

$C = \frac{\sqrt{15.24}}{0.00113}$
 $C = \frac{\sqrt{15.24}}{1.13 \times 10^{-3}}$
 $C = 3472.8$

$C = \frac{\sqrt{15.24}}{0.00113}$
 $C = 3472.8$

$C = 3472.8$ [1]

(ii) Justify the number of significant figures that you have given for your value of C .

The raw value of L and A are given to 3 significant figures so

(d) (i) Twist the mass hanger through approximately 180° .

Release the mass hanger. The mass hanger will oscillate as shown in Fig. 2.2.



Fig. 2.2

(ii) Take measurements to determine the period T of the oscillations.

Record T .

T_1/s	T_2/s	T_3/s	T_{ave}/s
0.97	1.0	0.96	0.98

$T = 0.98$ [1]

(iii) Remove the wire from the mass hanger.

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(e) (i) Take the longer wire. Repeat (a)(ii) and (a)(iii).

$$15 \times 0.01 = 0.15$$

$$d = 0.38 \text{ mm} \rightarrow 0.15 \text{ mm}$$

$$= \frac{\pi (1.5 \times 10^{-3})^2}{4} = 1.77 \times 10^{-6}$$

$$A = 1.77 \times 10^{-6} \text{ cm}^2$$

(ii) Secure the hook of the mass hanger to one end of the wire leaving 40 cm of excess wire.
Repeat (b)(ii), (b)(iii), (c)(i) and (d) for a value of L of approximately 30 cm.

$$L = 15.90 \text{ cm}$$

$$15.20$$

$$C = \frac{\sqrt{15.20}}{1.13 \times 10^{-3}}$$

$$C = 3450$$

T_1/s	T_2/s	T_3/s	T_{avg}/s
3.67	3.65	3.66	3.66

$$T = 3.66 \text{ s}$$

[3]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(f) It is suggested that the relationship between T and C is

$$T = kC$$

where k is a constant.

(i) Using your data, calculate two values of k .

$$k_1 = \frac{C}{T}$$

$$k_1 = \frac{3470}{0.98} = 3540$$

$$k_2 = \frac{C}{T}$$

$$= \frac{3450}{3.66} = 943$$

first value of $k = 3540$

second value of $k = 943$

[1]

(ii) Explain whether your results in (f)(i) support the suggested relationship.

$$\frac{3540 - 943}{3540} \times 100 = 73.7\%$$

73.7% results of my investigation shows that it does not support the suggested relationship as it is greater than 30%.

[1]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(g) (i) Describe four sources of uncertainty or limitations of the procedure for this experiment.

- Two sets of readings are not enough to arrive at a valid conclusion.
- Difficult to measure T because for shorter wire, because it stops rotation very quickly and speed of rotation was high.
- The fans in the room affected rotation because wire is thin and light weight so it moved by wind as well.
- The longer wire was very thin. It breaks when the clip was tight or if it is clipped several times. [4]

(ii) Describe four improvements that could be made to this experiment. You may suggest the use of other apparatus or different procedures.

- Take more readings and plot a graph or compare k values with more readings.
- use a video play back camera or a slow motion camera to find T .
- Turn off the fans while doing the experiment.
- use a small ball of clay use a cork and a small ball of clay to hang the wire instead of the clip. [4]

[Total: 20]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2 Mark scheme

(g)	(i) Limitations [4]	(ii) Improvements [4]	Do not credit
A	Two readings not enough to draw a conclusion	Take many readings and plot a graph/ obtain more k values and compare	"Repeat readings" on its own/few readings/only one reading/not enough readings for accurate value
B	Difficult to judge beginning and/or end of a cycle/a complete cycle	Draw a line/mark on the mass/ (fiducial) marker at equilibrium position	
C	Wire not straight/ kinked	Method of straightening wire e.g. use larger mass	
D	Difficult to measure L with reason e.g. metre rule awkward to position/parallax error	Improved method of measuring L e.g. marking L before putting into clip/ detailed method using set squares or ruler/ use a length guide (e.g. 15 cm wood)/ use string with detail/ use tape measure	Vernier calipers on its own/ set square on its own/ 30 cm ruler on its own
E	Wire slips (in clip)	Better method of gripping wire e.g. wrap wire around clamp/use two wooden blocks and wire	Any reference to attaching the mass to the wire
F	Mass swings as well as rotates/ clip moves around rod/there is a force on release	Better method of attaching clip to rod e.g. glue	
G	Shorter/thicker wire has too few cycles/dampens quickly/ (percentage) uncertainty greater for shorter/thicker wire	Video and timer/replay frame by frame	Repeats Longer wire

You may not need to use all of the materials provided.

2 In this experiment, you will investigate the movement of a loaded wire.

(a) (i) Take the **shorter** of the two wires.

(ii) Measure and record the diameter d of the wire.

$$\text{diameter} = \frac{0.2 + 0.3 + 0.4}{3}$$

$$= 0.3$$

$d = 0.3 \text{ mm}$ [1]

(iii) Calculate the cross-sectional area A of the wire using

$$A = \frac{\pi d^2}{4}$$

$$A = \frac{\pi (0.3)^2}{4}$$

$$= 7.07 \times 10^{-4}$$

$A = 7.07 \times 10^{-4} \text{ mm}^2$ [1]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

- (b) (i) Secure the hook of the mass hanger to one end of the wire leaving at least 20 cm of excess wire.
The wire may be wrapped around the hook several times.

- (ii) Set up the apparatus as shown in Fig. 2.1.

The length L of wire between the clip and the hook of the mass hanger should be approximately 15 cm.

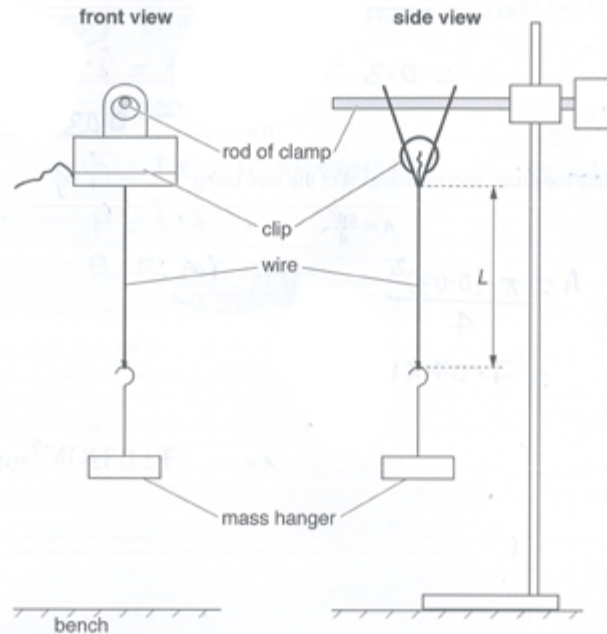


Fig. 2.1

- (iii) Measure and record L .

$$L = \frac{14 + 15 + 14.5}{3}$$

$$L = 14.5 \text{ cm} \quad [1]$$

- (iv) Estimate the percentage uncertainty in your value of L .

$$\text{Percentage Uncertainty} = \frac{\Delta L}{L} \times 100\%$$

$$= \frac{0.1}{14.5} \times 100\%$$

$$\text{percentage uncertainty} = 0.69\% \quad [1]$$

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(c) (i) Calculate C where

$$C = \frac{\sqrt{L}}{A}$$

$$C = \frac{\sqrt{14.5 \times 10^{-1}}}{7.07 \times 10^{-4}}$$

$$= 1.70 \times 10^3$$

$$C = 1.70 \times 10^3 \quad [1]$$

(ii) Justify the number of significant figures that you have given for your value of C .

I've used three significant figure as all my value of L and A are in three significant figure. [1]

(d) (i) Twist the mass hanger through approximately 180°

Release the mass hanger. The mass hanger will oscillate as shown in Fig. 2.2.



Fig. 2.2

(ii) Take measurements to determine the period T of the oscillations.

Record T .

Time taken for 10 oscillation (t_1) = 10.63.
 Time taken for 1 oscillation (t_2) = 1.063.
 Time taken for 10 oscillation = 12.78
 Time taken for 1 oscillation (t_2) = 1.278
 $T = \frac{t_1 + t_2}{2} = \frac{10.63 + 1.063}{2} = 1.171$
 $T = 1.17 \text{ s} \quad [1]$

(iii) Remove the wire from the mass hanger.

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T > \text{first value of } T$. [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

- (e) (i) Take the longer wire. Repeat (a)(ii) and (a)(iii).

$$d = \frac{0.1 + 0.2}{2}$$

$$d = 0.15 \text{ mm}$$

$$A = \frac{\pi (0.015)^2}{4}$$

$$A = 1.76 \times 10^{-4} \text{ mm}^2$$

- (ii) Secure the hook of the mass hanger to one end of the wire leaving 40 cm of excess wire.
Repeat (b)(ii), (b)(iii), (c)(i) and (d) for a value of L of approximately 30 cm.

$$L = \frac{29.5 + 30 + 29}{3}$$

$$L = 29.5 \text{ cm}$$

$$C = \frac{\sqrt{29.5 \times 10^{-1}}}{1.76 \times 10^{-4}}$$

$$= 9.76 \times 10^3$$

$$C = 9.76 \times 10^3$$

Time taken for 10 oscillation = 13.78

Time taken for 1 oscillation (t_1) = 1.378

Time taken for 10 oscillation = 13.22

Time taken for 1 oscillation (t_2) = 1.322

$$T = \frac{t_1 + t_2}{2}$$

$$T = 1.35 \text{ s}$$

[3]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(f) It is suggested that the relationship between T and C is

$$T = kC$$

where k is a constant.

(i) Using your data, calculate two values of k .

For First value .

$$T = KC$$

$$1.17 = K \times 1.70 \times 10^3$$

$$K = 6.88 \times 10^{-4}$$

For second value.

$$T = KC$$

$$1.35 = K \times 9.76 \times 10^3$$

$$K = 1.38 \times 10^{-4}$$

$$\text{first value of } k = 6.88 \times 10^{-4}$$

$$\text{second value of } k = 1.38 \times 10^{-4}$$

[1]

(ii) Explain whether your results in (f)(i) support the suggested relationship.

The result does not support the relationship because as the value of K increases the value of T also increases with it.

[1]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2	Mark scheme
(a)(ii)	All raw values of d either to the nearest 0.01 or 0.001 mm with unit and in the range 0.250 mm to 0.450 mm [1]
(a)(iii)	Correct calculation of A with consistent unit and power of ten. [1]
(b)(iii)	Value of L with appropriate unit in range $10.0 \text{ cm} \leq L \leq 20.0 \text{ cm}$. [1]
(b)(iv)	Percentage uncertainty in L based on absolute uncertainty of 2 mm to 8 mm. If repeated readings have been taken, then the uncertainty can be half the range (but not zero) if the working is clearly shown. Correct method of calculation to obtain percentage uncertainty. [1]
(c)(i)	Correct calculation of C to the s.f. given by the candidate. [1]
(c)(ii)	Correct justification for s.f. in C linked to s.f. in d and L . [1]
(d)(ii)	Raw values for time to the nearest 0.1 s or better. T with unit and in range $0.5 \text{ s} \leq T \leq 2.0 \text{ s}$. [1]
(e)(ii)	Second values of d and L . Second value of T . Quality: If $d_1 > d_2$ then second value of $T >$ first value of T . [1]
(f)(i)	Two values of k calculated correctly. [1]
(f)(ii)	Sensible comment relating to the calculated values of k , testing against a criterion specified by the candidate. [1]

(g) (i) Describe four sources of uncertainty or limitations of the procedure for this experiment.

1. Two sets of of data are not enough to draw conclusion.
2. Parallax Error while seeing the oscillation.
3. The angle of rotation might not be approximately 180° .
4. The wire at the clip ~~moves~~ brings error while rotating.

[4]

(ii) Describe four improvements that could be made to this experiment. You may suggest the use of other apparatus or different procedures.

1. Atleast six sets of reading is required and plot its graph.
2. A sensor must be used for viewing the wire while it goes back and forth.
3. Protractor must be used to while rotating.
4. The wire must be glued at the top so that it does not move while rotating.

[4]

[Total: 20]

Your
Mark

2(a)(ii)

2(a)(iii)

2(b)(iii)

2(b)(iv)

2(c)(i)

2(c)(ii)

2(d)(ii)

2(e)(ii)

2(f)(i)

2(f)(ii)

2(g)(i)

2(g)(ii)

Q2 Mark scheme

(g)	(i) Limitations [4]	(ii) Improvements [4]	Do not credit
A	Two readings not enough to draw a conclusion	Take many readings and plot a graph/ obtain more k values and compare	"Repeat readings" on its own/few readings/only one reading/not enough readings for accurate value
B	Difficult to judge beginning and/or end of a cycle/a complete cycle	Draw a line/mark on the mass/ (fiducial) marker at equilibrium position	
C	Wire not straight/ kinked	Method of straightening wire e.g. use larger mass	
D	Difficult to measure L with reason e.g. metre rule awkward to position/parallax error	Improved method of measuring L e.g. marking L before putting into clip/ detailed method using set squares or ruler/ use a length guide (e.g. 15 cm wood)/ use string with detail/ use tape measure	Vernier calipers on its own/ set square on its own/ 30 cm ruler on its own
E	Wire slips (in clip)	Better method of gripping wire e.g. wrap wire around clamp/use two wooden blocks and wire	Any reference to attaching the mass to the wire
F	Mass swings as well as rotates/ clip moves around rod/there is a force on release	Better method of attaching clip to rod e.g. glue	
G	Shorter/thicker wire has too few cycles/dampens quickly/ (percentage) uncertainty greater for shorter/thicker wire	Video and timer/replay frame by frame	Repeats Longer wire

Cambridge Assessment International Education
The Triangle Building, Shaftesbury Road, Cambridge, CB2 8EA, United Kingdom
t: +44 1223 553554 f: +44 1223 553558
e: info@cambridgeinternational.org www.cambridgeinternational.org

Copyright © UCLES March 2018